













# NATIONAL WEATHER SERVICE

# The Use of Microwave Sounder Data in NCEP Global Forecast System - Current Status and Outlook

NOAA Microwave Sounder Workshop Wednesday, July 28, 2021

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- MW Sounder Data Assimilated in NCEP Global Forecast System
- Impact of Observations in GFS
- Outlook of Using MW Sonder Data in GFS

















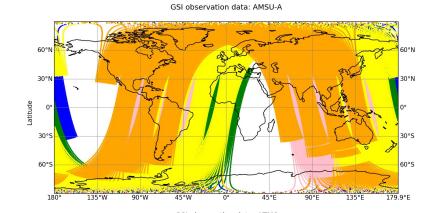
# **Outline**

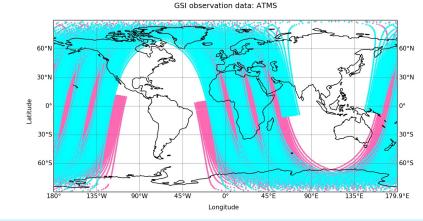
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# **MW Sounder Radiances used in GFS**

Sensor	Platform	Orbit	Channels
	NOAA-15	AM; Drifting	1-5,6,7-10,11,12-13,14,15
	NOAA-18	PM; Drifting	1-4,5,6-7,8-9,10-15
VD	NOAA-19	PM; Drifting	1-6,7-8,9-15
AMSU-A	• MetOp-A	Mid AM	1-6,7-8,9-15
	• MetOp-B	Mid AM	1-7,8-14,15
	<ul><li>MetOp-C</li></ul>	Mid AM	1-15

Sensor	Platform	Orbit	Channels
ATMS	S-NPP	PM	1-16,17-22
	NOAA-20	PM	1-16,17-22







# MW Sounder Radiances used in GFS





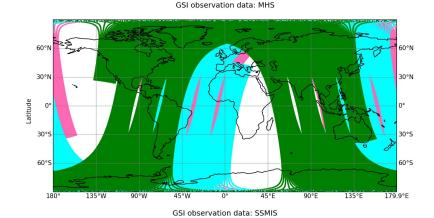


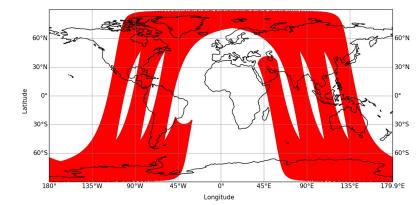




Sensor	Platform	Orbit	Channels
	NOAA-18	PM; Drifting	1,2,3,4,5
	NOAA-19	PM; Drifting	1,2,3,4,5
MHS	MetOp-A	Mid AM	1,2,3,4,5
	• MetOp-B	Mid AM	1,2,3,4,5
	• MetOp-C	Mid AM	1,2,3,4,5

Sensor	Platform	Orbit	Channels
DMSP-F17	SSMIS	Early AM	1,2-4,5-7,8-23,24









# MW Sounder Data Spectral Range in GFS

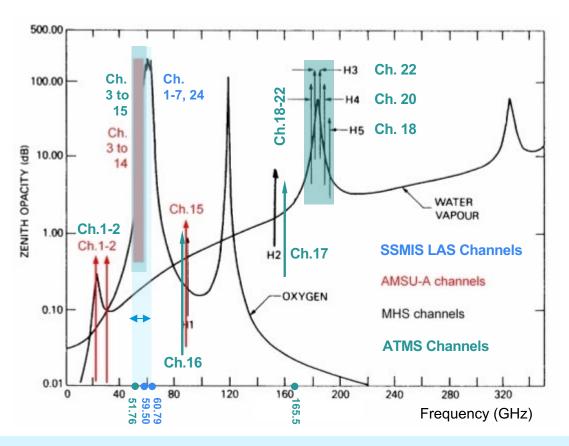


























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# Impact of Observation in GFS --- Evaluation Metrics

- Ensemble Forecast Sensitivity to Observation Impact (EFSOI)
- **Observing System Experiments** 
  - Addition of MW Sounders to Baseline
  - Addition of SNPP and NOAA-20 to Baseline





# **Ensemble Forecast Sensitivity to Observation Impact**



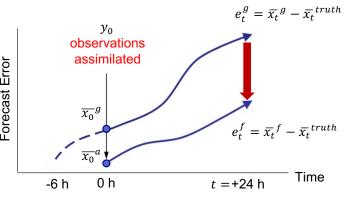












The forecast error difference  $e_t^f - e_t^g$  is due entirely to the assimilation of observation at 00 hour

The impact of *I* <sup>th</sup> observation on the forecast at *j* <sup>th</sup> grid point

$$(\Delta e_t)_{j,i} \approx \frac{1}{2(k-1)} (\delta \mathbf{y}_o^T)_i \left[ \rho_j \, \mathbf{R}^{-1} (\mathbf{H} \mathbf{X}_o^a) \left( \left( \mathbf{X}_t^f \right)^T \right)_j C_{jj} \left( \mathbf{e}_t^f + \mathbf{e}_t^g \right)_j \right]_i$$

$$\mathbf{e}_{t}^{f} - \mathbf{e}_{t}^{g} \equiv \overline{\mathbf{x}_{t}}^{f} - \overline{\mathbf{x}_{t}}^{g}$$

$$\approx \mathbf{M} \left( \overline{\mathbf{x}_{o}}^{a} - \overline{\mathbf{x}_{o}}^{g} \right) = \mathbf{M} \mathbf{K} \delta \mathbf{y}_{o} = \mathbf{M} \mathbf{K} \left( \mathbf{y}_{o} - h(\overline{\mathbf{x}_{o}}^{g}) \right)$$

where  $\mathbf{K} = Kalman\ gain\ matrix = P^a \mathbf{H}^T\ \mathbf{R}^{-1} = \mathbf{X}_o^a\ (\mathbf{X}_o^a)^T\ \mathbf{H}^T\ \mathbf{R}^{-1}$ 

Define e as a quadratic energy-weighted (C) forecast error

The forecast error reduction at time t can be expressed as:

$$\Delta \boldsymbol{e}_{t} \equiv \frac{1}{2} \left(\boldsymbol{e}_{t}^{f}\right)^{T} \boldsymbol{C} \ \boldsymbol{e}_{t}^{f} - \frac{1}{2} \left(\boldsymbol{e}_{t}^{g}\right)^{T} \boldsymbol{C} \ \boldsymbol{e}_{t}^{g} \equiv \frac{1}{2} \left(\boldsymbol{e}_{t}^{f} - \boldsymbol{e}_{t}^{g}\right)^{T} \boldsymbol{C} \left(\boldsymbol{e}_{t}^{f} + \boldsymbol{e}_{t}^{g}\right)$$

$$\approx \frac{1}{2} \ \delta \boldsymbol{y}_{o}^{T} \ \boldsymbol{K}^{T} \ \boldsymbol{M}^{T} \boldsymbol{C} \left(\boldsymbol{e}_{t}^{f} + \boldsymbol{e}_{t}^{g}\right) \quad \text{(Adjoint of analysis and forecast model)}$$

$$\approx \frac{1}{2(k-1)} \left[ \ \boldsymbol{M} \boldsymbol{X}_{o}^{a} \ (\boldsymbol{H} \boldsymbol{X}_{o}^{a})^{T} \ \boldsymbol{R}^{-1} \ \delta \boldsymbol{y}_{o} \ \right]^{T} \boldsymbol{C} \left(\boldsymbol{e}_{t}^{f} + \boldsymbol{e}_{t}^{g}\right)$$

$$\approx \frac{1}{2(k-1)} \ \delta \boldsymbol{y}_{o}^{T} \ \boldsymbol{R}^{-1} \left(\boldsymbol{H} \boldsymbol{X}_{o}^{a}\right) \left(\boldsymbol{X}_{t}^{f}\right)^{T} \boldsymbol{C} \left(\boldsymbol{e}_{t}^{f} + \boldsymbol{e}_{t}^{g}\right)$$

Assess observation impact without using adjoint models



# **EFSIO**

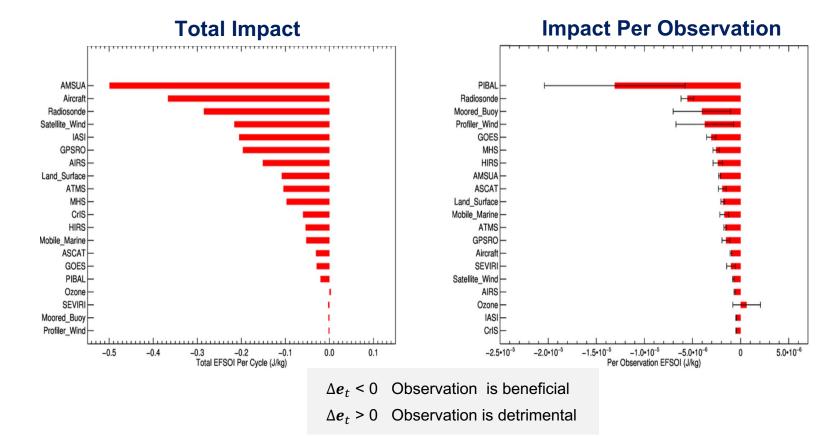














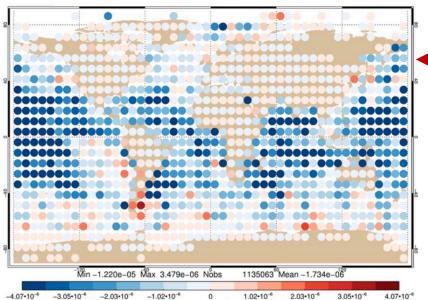




 $\Delta e_t < 0$  Observation is beneficial

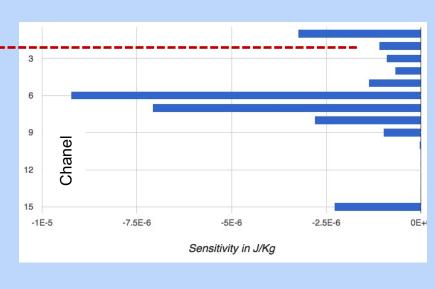
 $\Delta e_t > 0$  Observation is detrimental

#### AMSU-A Channel 2 (7.5° x 7.5°)



#### 24-hr Forecast Error Reduction

due to AMSU-A MetOp-B





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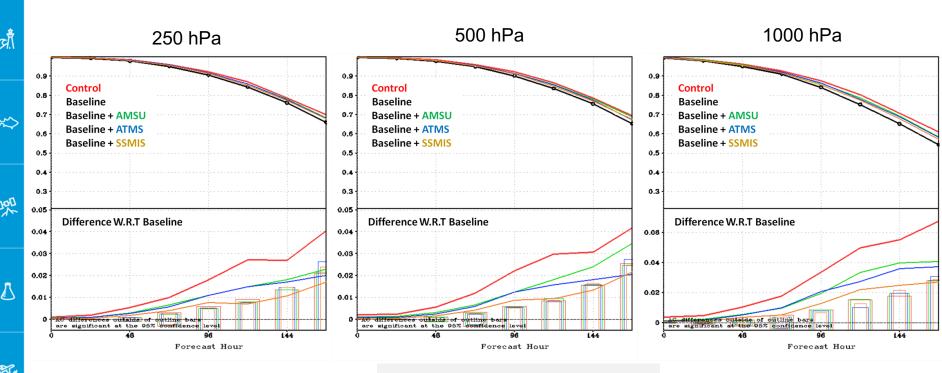
# **Addition of MW Sounders to Baseline Experiments**

- Hybrid 4D Ensemble-Variational Assimilation System
- Reduce resolution:
  - Forecast & Analysis: C384 (~25 km) L64
  - Ensemble: C192 (~50 km) L64
- Period: Winter (January) and Summer (August)
- Baseline: non-restricted conventional data and GPSRO
- Control: all non-restricted operational satellite and conventional data
- Experiments add single instruments
  - ATMS
  - AMSUA + MHS
  - SSMIS



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# Northern Hemisphere AC Scores

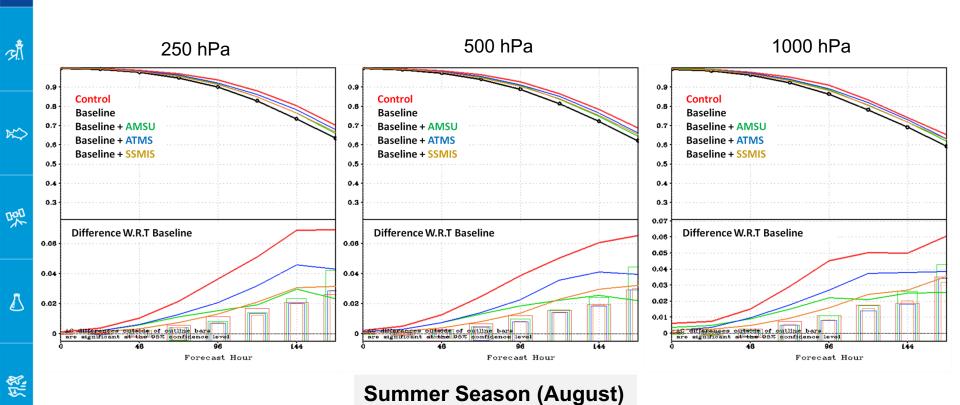


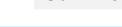




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# Southern Hemisphere AC Scores

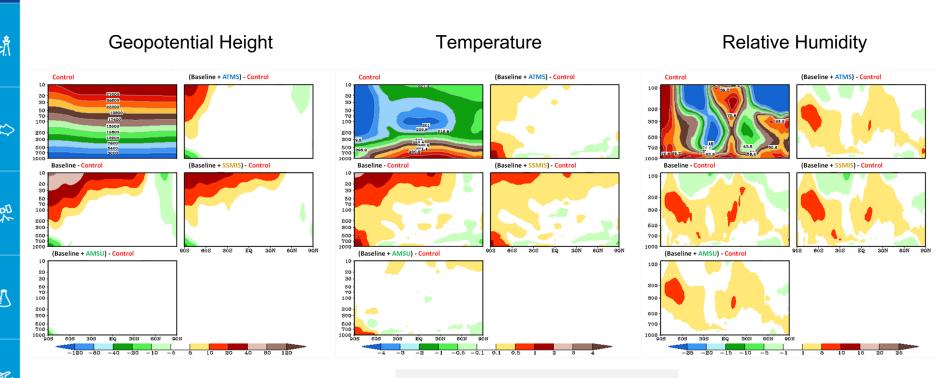






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# **Monthly Mean Bias**

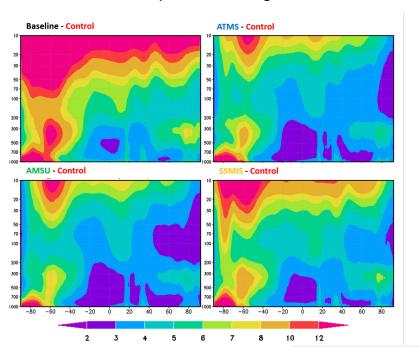




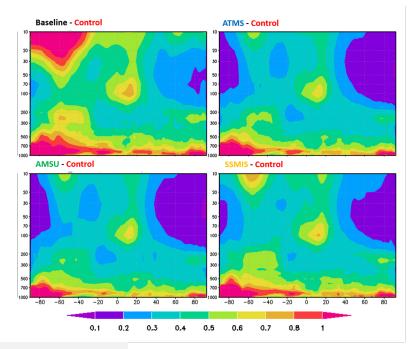


# **Monthly Standard Deviation**

#### Geopotential Height



#### Temperature



**Summer Season (August)** 





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# **Monthly Tropical Vector Wind RMSE**

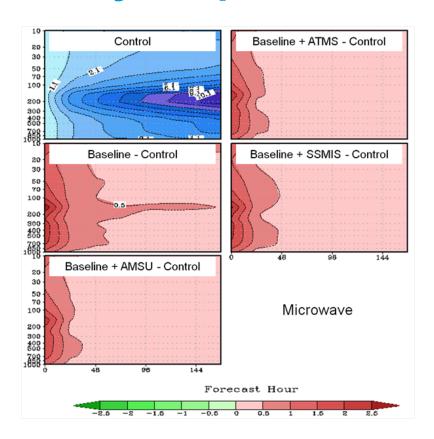












**Summer Season (August)** 

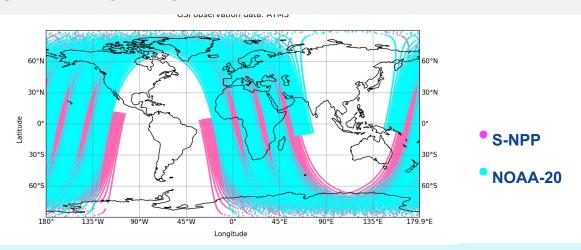






### **Objective**

- S-NPP and NOAA-20 have ~50-minute orbit differential with a considerable data coverage overlap. Is there any value to Numerical Weather Prediction in having two polar orbiting satellites this close?
- Conduct data addition experiments to quantify analysis and forecast improvements from S-NPP and S-NPP + NOAA-20











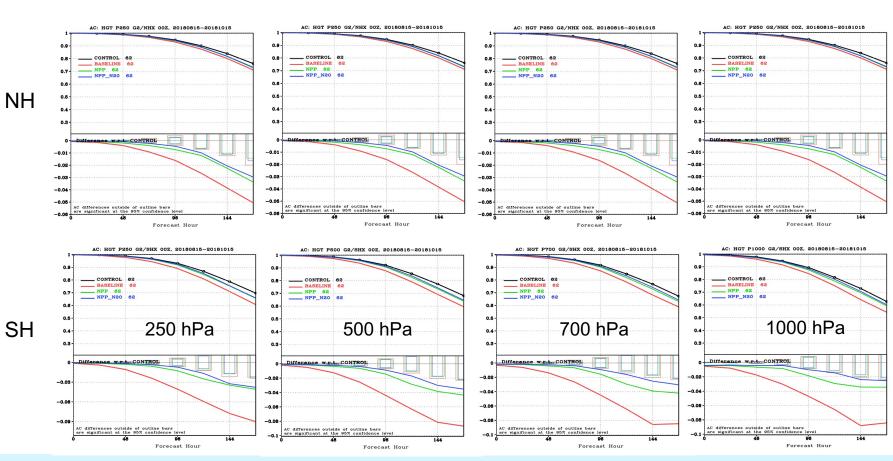


- Hybrid 4D Ensemble-Variational Assimilation System
- Reduce resolution:
  - Forecast & Analysis: C384 (~25 km) L64
  - Ensemble: C192 (~50 km) L64
- Period: Two Month (August to October)
- Baseline: non-restricted conventional data and GPSRO
- Control: all non-restricted operational satellite and conventional data
- Experiments adding satellites:
  - S-NPP (CrIS + ATMS)
  - S-NPP + NOAA-20 (CrIS + ATMS)





## **Anomaly Correlation Scores**





### **Tropical Winds RMSE**



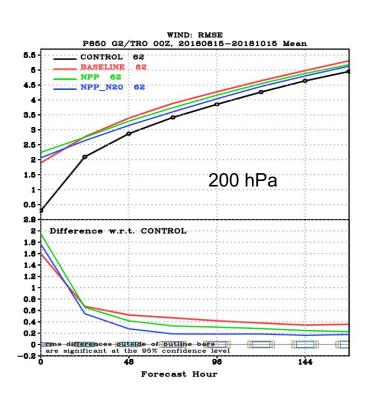


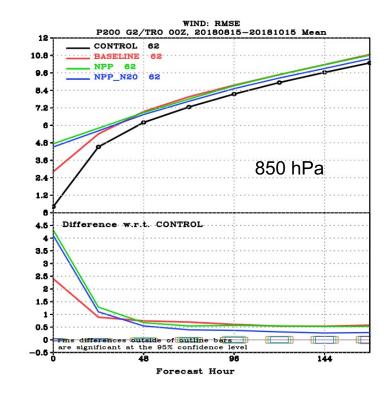




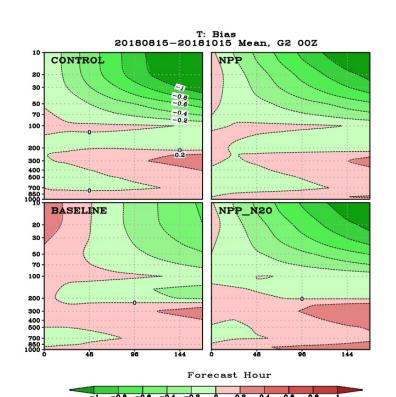


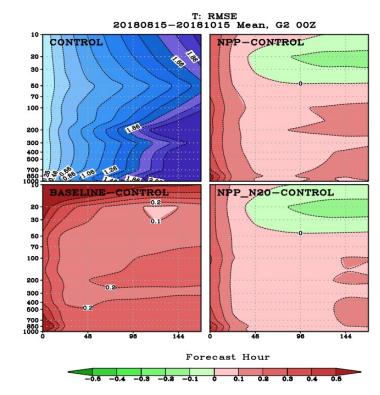






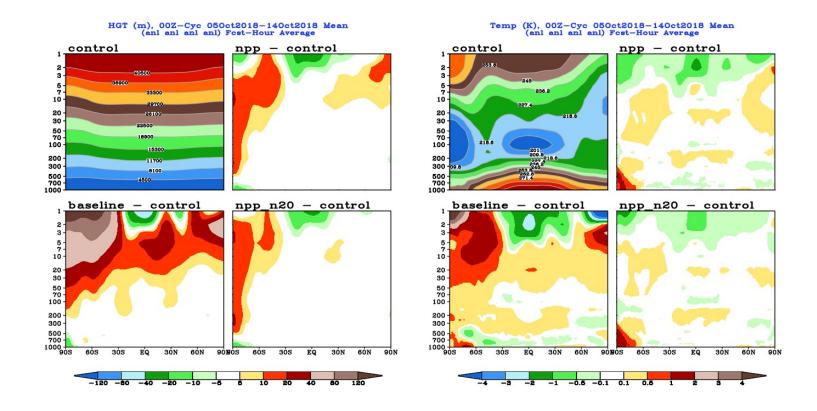
### **Global Temperature Bias and RMSE**







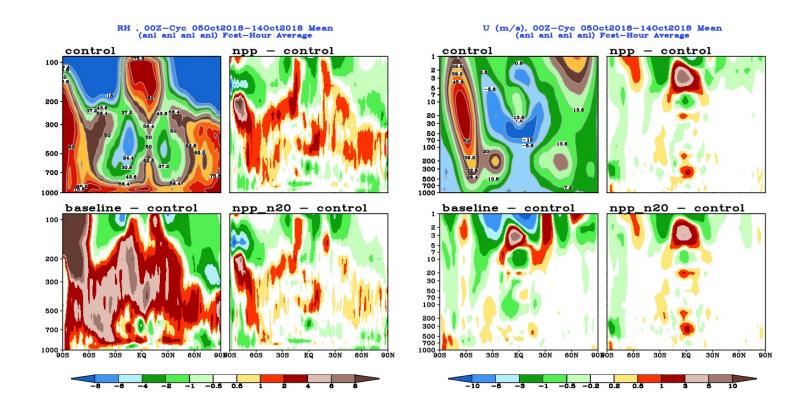
## **Analysis Differences: Heights and Temperature**





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# **Analysis Differences: Relative Humidity and U Wind**

















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#### **Next Implementation**

- Assimilate antenna-corrected AMSU-A, MHS, and ATMS brightness temperature (SDR)
- Precipitation-sensitive AMSU-A & ATMS radiances

#### NCEP EMC Data Assimilation 10-year Strategic Planning (section related to the use of observations)

- Sub-grid variability
  - Revisit the inclusion of sub-grid convective cloud and fraction in the observation operator for MW.
  - Explore the use of collocated cluster information from imager (IASI with AVHRR, ATMS with VIIRS...etc) for better handling the cloud sub-grid heterogeneity and overlap in a field of view.
- Second Generation of the EUMETSAT Polar System (EPS-SG)
  - Prepare for the assimilation of Microwave Sounder MWS (23-229 GHz)
- Exploration of new types of MW sounder data
  - SmallSats/CubeSats
    - Temporal Experiment for Storms and Tropical Systems Demonstration (TEMPEST-D)
    - Time-Resolved Observations of Precipitation structure and storm Intensity with a Constellation of Smallsats (TROPICS)
  - Hyperspectral MW Sounder (~100 channels or more) --- better vertical resolution







# **NCEP GFS for Data Exploration**

$$J(\boldsymbol{\delta x_c}, \boldsymbol{\alpha}) = \beta_c(\boldsymbol{\delta x_c})^T \boldsymbol{B}^{-1}(\boldsymbol{\delta x_c}) + \beta_e \frac{1}{2} \sum_{m=1}^{M} \alpha_m^T \boldsymbol{L}^{-1} \alpha_m + \frac{1}{2} \sum_{k=1}^{K} (\boldsymbol{H_k} \boldsymbol{\delta x_k} - \boldsymbol{d_k})^T \boldsymbol{R_k^{-1}} (\boldsymbol{H_k} \boldsymbol{\delta x_k} - \boldsymbol{d_k}) + J_c$$

Adding time dimension in 4DEnVar

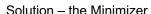
 $J_o$  term divided into observation bins as in 4DVar

4D increment is prescribed through llocal inear combinations of the 4D ensemble perturbations plus static contribution

$$\delta x_k = \delta x_c + \sum_{m=1}^{M} \left( \alpha_m \circ \left( \delta x_{e,m} \right)_k \right)$$

Increment associated with static background covariance

Increment associated with flow-dependent ensemble covariance



- *J* is a quadratic function. At minimum,  $\nabla J = 0$
- Iterative minimization algorithm is used to solve  $\nabla J = 0$  for  $\delta x_c$  and  $\alpha$
- Conjugate gradient method is used in NCEP hybrid analysis

- NCEP GFS is a 4D hybrid ensemble-variational system
- Cost function related to observation term is divided into observation bins as in 4DVar
- Background error covariances consistent static part and flowdependent part from ensemble
- Beneficial in extracting information from the observations













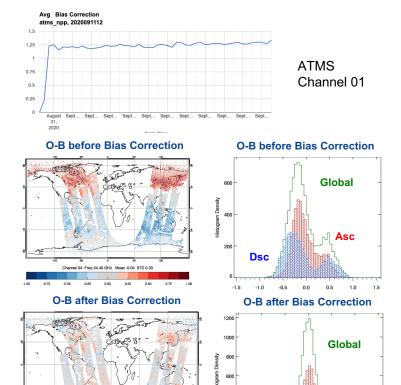






#### **Variational Bias Correction**

- Satellite radiance biases can be much larger than signal essential to bias correct the data before assimilation
- GSI uses variational bias correction the bias estimate is adaptive and consistent with all component in the analysis
- Built-in bias initialization step for new radiance type
- Automatically detect any new/missing/recovery of radiance data
- Adaptive background error variance for bias coefficient - quickly capture any changes in the data and data assimilation system
- New passive channel bias correction capability an efficient way to obtain the bias of any new satellite data that are not assimilated by monitored for preparation for future use (facilitate R2O process)









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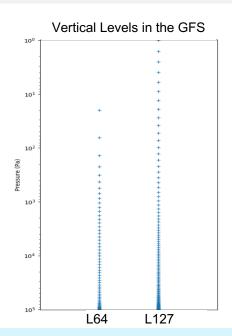


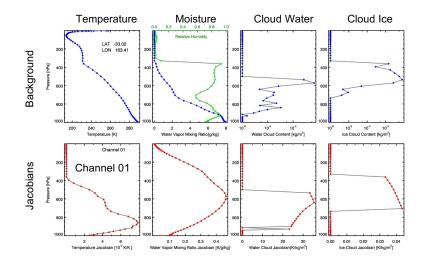


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- Operational GFS has extended model layers from 64 to 127, raising model top from 55 km to 80 km
- Much finer resolution in the troposphere
- Higher vertical resolution in background error





- AMSU-A sees deep into the clouds, giving information on temperature, moisture and cloud structure. Much less sensitive to ice clouds than water clouds
- Broad Jacobians mean good background error info is necessary to project increments in the right place in the vertical
- **Hyperspectral MW instrument** with finer Jacobians can potentially provide useful information in the cloudy/precipitation region

















# ~ The End ~ Thank You





# **Appendix**

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J	Penalty = fit to bkg $J_b$ + fit to ensemble $J_e$ + fit to obs $J_o$ + Constraints $J_c$	L	Correlation matrix for ensemble covariance localization (effectively the localization of ensemble perturbations)
$eta_c$ $eta_e$	Weighting factor for statistic and ensemble bkg error covariances ( $\beta_s + \beta_e = 1$ )	В	Static bkg error covariance (time invariant)
$\delta x_c$	Increment from variational analysis	$d_k$	Observation innovation $(y_{o,k} - h(x_k) - Bias)$
$\left(\delta x_{e,m}\right)_k$	The m-th ensemble perturbations at time k	$y_{o,k}$	Observation at time k
$\delta x_k$	Hybrid increment at time k	h	Forward observation operator
$\alpha_m$	Extended control variable: weight to each ensemble member (varies in space which determines the ensemble covariance localization scale)	Н	Linearized observation operator $H = \left(\frac{\partial h}{\partial x}\right)$
$R_k$	Observation error covariance	K,M	${\it K}$ number of time bins, ${\it M}$ number of ensemble members



